

Algorithms to determine the point of minimum of a real unimodal function on a set - a survey

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ABSTRACT.

Using the cuts technique, the authors present in this paper a general algorithm to determine the optimal point of an unimodal function on a set. The parallel version of this algorithm is also given.

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